

Nuclear chemistry



❖ What are the difference between ordinary chemical reaction and nuclear transformation ?

❖ Nuclear transformation involve the nucleus , change in the matter .

❖ Nuclear reaction accompanied by high energy change than ordinary chemical reaction .

Review

❖ Most naturally occurring elements are mixtures of isotopes , which are represented by symbols of the form



❖ Where X is the symbol of the element , A = mass number , and Z = atomic number

❖ Nuclide is the nucleus of a specific isotope .

❖ A nucleon is proton or neutron



The forces between the nucleons

❖ **The force between the nucleons are very strong compares by electrostatic forces .**

❖ **The powerful cohesive forces between nucleons are exist**

❖ **These forces are charge dependent**

P – P , n – n , n - p

❖ To explain these forces , it is postulated a theory , that , protons and neutrons are bound together by a very rapid exchange of nuclear particle .

❖ This particle given a name meson or pion (π)

❖ Three of π are known.

❖ π^+ (pion)

❖ $P^+ \rightarrow n^0 + \pi^+$

❖ $\pi^+ + n^0 \rightarrow P^+$

❖ ii) π^- (poin)

❖ $n^0 \rightarrow P^+ + \pi^-$

❖ $\pi^- + P^+ \rightarrow n^0$

❖ iii) π^0 (poin)

❖ $P^+ \rightarrow P^+ + \pi^0$

❖ $\pi^0 + n^0 \rightarrow n^0$

❖ $n^0 \rightarrow n^0 + \pi^0$

❖ $\pi^0 + P^+ \rightarrow P^+$

Definitions

❖ A stable isotope is one that does not spontaneously decompose into another nuclide .

❖ An radioactive nuclide is one that spontaneously decomposes into another nuclide

Stable Nuclides

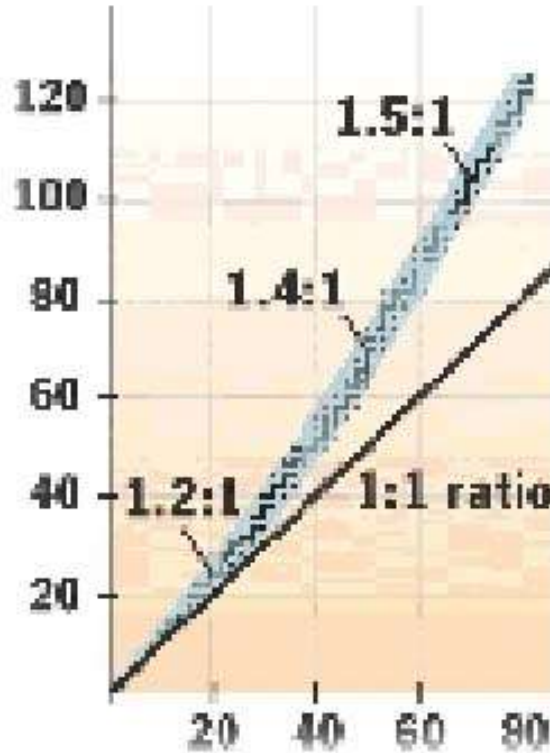
❖ The number of neutrons is equal to or greater than number of protons (except for ^1H and ^3He)

❖ Up to $Z = 20$, the number of protons and neutrons are nearly equal , above 20 the ratio of n/p increases slowly to about 1.6 : 1 .

❖ The zone of stability (next slide) contains all stable nuclides , but some nuclides in this band are unstable .

Zone of nuclear stability

Number of neutrons



Number of protons

Stable Nuclides (cont'd)

❖ Certain numbers of protons and neutrons (called magic numbers) confer unusual stability : 2,8,20,26,28,50,82,and 126 .

❖ Tc ($Z=43$) , Pm ($Z=61$) , and all elements beyond Bi ($Z=83$) have no stable isotopes .

❖ Nuclear stability is greater for nuclides containing even numbers of protons , neutrons , or both .

Stable Isotopes

Of protons	Of neutrons	Of stable nuclides
Even	Even	157
Even	Odd	53
Odd	Even	50
Odd	Odd	4

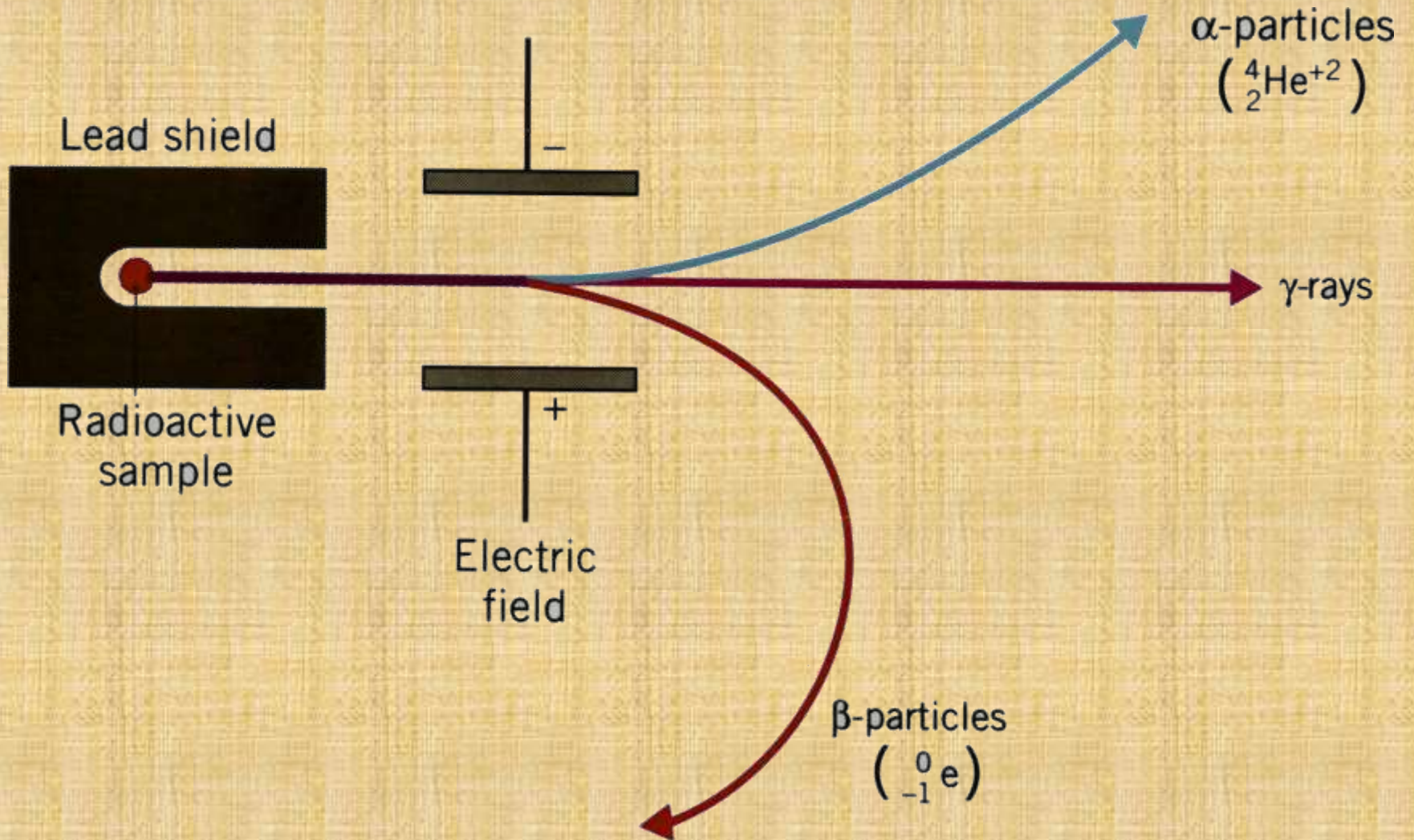
Radioactivity

❖ Three kinds of emissions from naturally radioactive materials are known .

α Particles are high – energy ${}^4\text{He}$ nuclei

β Particles are high – energy electrons that originate from the nucleus .

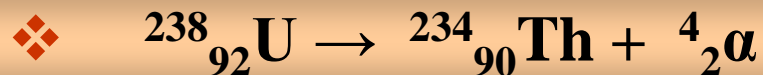
γ Rays are very short wavelength (high – energy) electromagnetic radiation .



Nuclear Equations

❖ A nuclear equation describes any process in which a nuclide undergoes change

❖ In a balanced nuclear equation the sum of the mass numbers and atomic numbers on the reactant and product side of the equation must be equal .

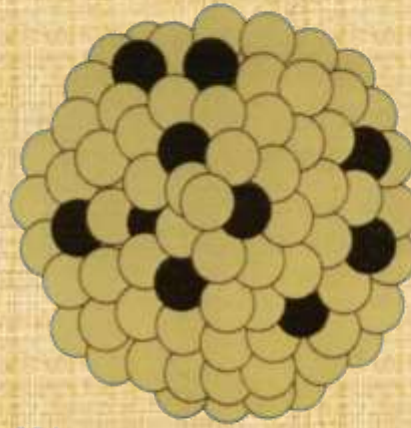


$$\text{❖ Z: } 92 = 90 + 2, \quad \text{A: } 238 = 234 + 4$$



^{238}U

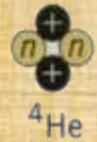
$$\left(\frac{146 \text{ neutrons}}{92 \text{ protons}} = 1.587 \right)$$



^{234}Th

$$\left(\frac{144 \text{ neutrons}}{90 \text{ protons}} = 1.600 \right)$$

+



Beta decay

❖ Beta decay increases the atomic number by one, without changing the mass number.



❖ The β particle does not exist in the nucleus, but is created at the instant of its emission.

Positron Emission

❖ A positron is identical to an electron , except its charge is positive .

❖ Positron emission (called β^+) decreases the atomic number by one , without changing the mass number .



❖ The symbol for the positron and beta particle is the same , except for the sign .

Electron capture

❖ In electron capture an electron in a low energy orbital of the atom is captured by the nucleus and converts a proton to a neutron .



❖ X rays (not γ rays) accompany electron capture , because the atom produced is in an excited electronic state .

❖ Electron capture and positron emission both decrease the atomic number by 1 .

γ - radiation

❖ It is electromagnetic radiation of very short wavelength .

❖ Dose not cause change in the mass number or in the atomic number of the nucleus .

Example :



Predicting Modes of Decay

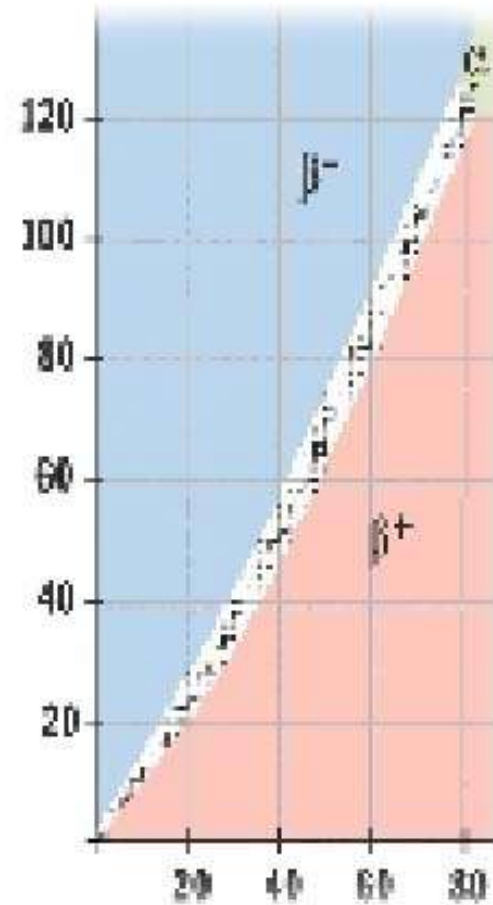
❖ For radioactive elements

❖ When $Z > 83$, α emission is often observed

❖ If $A > \text{atomic mass of element}$ β^- decay occurs

❖ If $A < \text{atomic mass of element}$ β^+ decay, or electron capture occurs

Number of neutrons



Number of protons

Energy and Mass

❖ The energy equivalent of mass is calculated from

$$E = mc^2$$

❖ Where E is energy , m is mass , and c is the speed of light .

❖ When a nuclear change occurs a measurable difference in the mass of the products and reactant is observed .

Nuclear energy

$$E = mc^2$$

$m = \text{mass of the parent} - [\text{total mass of the products}]$

Ex:



$m = \text{mass of } {}^{210}\text{Po} - [\text{mass of } {}^{206}\text{Pb} + \text{mass of } {}^4_2\text{He}]$

$$= 209.9829\text{u} - [205.9745\text{u} + 4.0026\text{u}]$$

$$= 0.00584\text{u}$$

❖ Usually E is given in Mev

❖ For ISU E in Joules . So we Converted Joules to Mev , as:

For 1u (mass) = 1.6605×10^{-27} kg

$$c = 3 \times 10^8 \text{ m / s}$$

$$E = 1.6605 \times 10^{-27} \times (3 \times 10^8 \text{ m /s })^2$$

$$E = 1.4924 \times 10^{-10} \text{ J}$$

$$1\text{ev} = 1.6022 \times 10^{-19} \text{ J}$$

$$1\text{Mev} = 1.6022 \times 10^{-13} \text{ J}$$

For 1u

$$E = 1.4924 \times 10^{-10} \text{ J} / 1.6022 \times 10^{-13} \text{ J/Mev}$$

$$E = 931.47 \text{ Mev} / \text{u}$$

For our ex :

$$E = 931.47 \times 0.00584$$

$$E = 5.4 \text{ Mev}$$

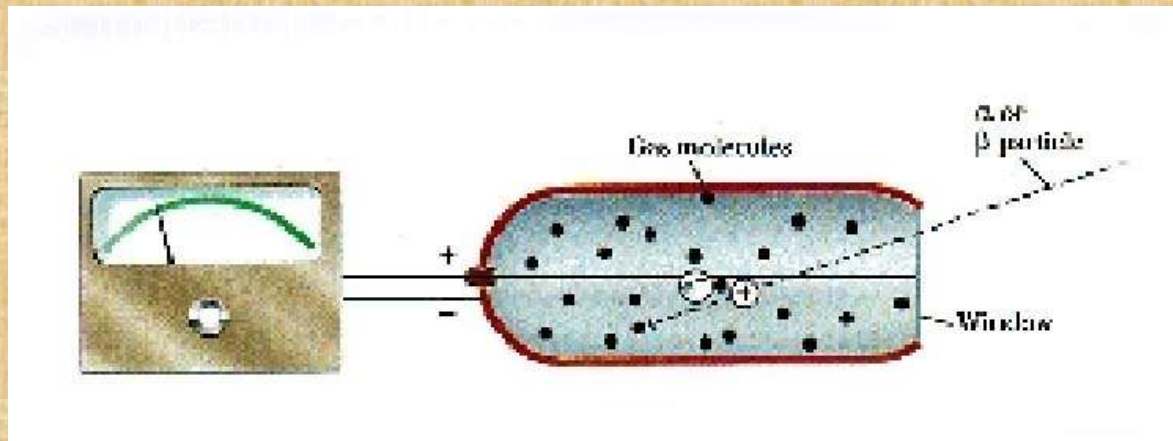
Detection of radiation

❖ Radiation detection is based on the ionization caused by high energy particles and light and includes .

❖ Exposure of photographic film

❖ Geiger counters

❖ Scintillation counters



Decay Rates

❖ Radioactive decays obey a first order rate law

$$\text{Rate} = -\Delta N / \Delta t = kN$$

❖ Where N is the number of radioactive nuclei

❖ Usually the half-life, $t_{1/2}$ is given rather than k

$$t_{1/2} = \ln 2 / k = 0.693 / k$$

Integrated Rate Law

❖ First order radioactive decay is expressed by the equation

$$\ln (N / N_0) = -kt = 0.693 t/t_{1/2}$$

❖ N = number of radioactive atoms present at time t ,
 N_0 = number present at $t = 0$

❖ Since the disintegration rate R is proportional to the number of radioactive atoms

$$R/ R_0 = N/N_0, \text{ so}$$

$$\ln (R/ R_0) = -0.693 t/t_{1/2}$$

Finding $t_{1/2}$ by Experiment

The decay rate of a sample containing ^{131}I is 561 disintegrations per minute . Exactly 7.00 days later the same sample decays at 307 disintegrations / min . Calculate the half-life of ^{131}I .

Substitute the given values in the integrated rate law and solve for $t_{1/2}$ $\ln(307/561) = -0.693 \times 7.00 / t_{1/2}$

$$t_{1/2} = -4.85 / \ln(0.547) = 8.04 \text{ days}$$

Dating by ^{14}C Radioactivity

Dating of artifacts with ^{14}C is based on a constant activity of 15.3 disintegrations per minute per gram of C for Living organisms .

Upon death the ^{14}C activity decreases with a half-life of 5730 years .

Dating with ^{14}C is valid for objects between 500 and 50.000 years old .

Example : ^{14}C Dating

The age of the Dead sea scrolls were measured using ^{14}C dating methods . If the sample of the scrolls measured had a ^{14}C activity of 11.5 disintegration per minute per gram of carbon , what is the age of the scrolls if the fresh scroll recorded 15.3 disintegration per minute?

Ans.

$$\ln[N_0 / N] = kt$$

$$\ln [15.3 / 11.5] = (0.693 / 5730) t$$

$$t = 2361 \text{ y}$$

The activity of source

$$\text{Activity} = - dN / dt = \text{KN}$$

Activity units = curi, (ci)

$$\text{Ci} = 3.7 \times 10^{10} \text{ disintegration / s}$$

$$\mu\text{ci} = 3.7 \times 10^4 \text{ disintegration / s}$$

Example

$t_{1/2}$ of $^{100}_{43}\text{Tc}$ a β emitter is 16 s. What is the mass remains after 3 half life time?

$$1 \longrightarrow 1/2 \longrightarrow 1/4 \longrightarrow 1/8$$

$$\ln N_0/N = k t$$

$$K = 0.693 / t_{1/2} = 0.693/16 = 0.0433 \text{ s}^{-1}$$

$$\text{Total time} = 3 \times 16 = 48 \text{ s}$$

$$\ln 1/N = 0.0433 \times 48$$

$$1/N = e^{2.078}$$

$$1/N = 7.988 \quad \underline{\hspace{1cm}} \quad N = 1/7.988$$

Solution

$$k = 0.693 / t_{1/2}$$

$$k = 0.693 / 16 \text{ s}$$
$$= 0.0433 \text{ s}^{-1}$$

Activity of the sample in terms of disintegration / s is :

$$\text{Activity} = 0.2 \times 3.7 \times 10^4$$

$$= 7.4 \times 10^3 \text{ disintegration /s}$$

$$\text{Activity} = kN$$

$$7.4 \times 10^3 = 0.0433 N$$

$$N = 1.71 \times 10^5 \text{ atoms}$$

The mass of the sample

$$= 1.71 \times 10^5 \text{ atoms} \times 100 \text{ g Tc} / 6.02 \times 10^{23} \text{ (atoms)}$$

$$= 2.84 \times 10^{-19} \text{ g Tc}$$

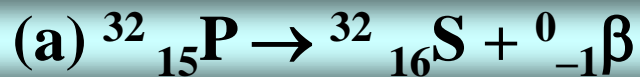
Test Your Skill

A sample containing ^{32}P disintegrates to ^{32}S at a rate of 782 disintegrations / min . Exactly 10.00 days later the disintegration rate is 481 disintegrations/ min .

(a) Write the nuclear equation for this decay .

(b) Calculate the half-life of ^{32}P .

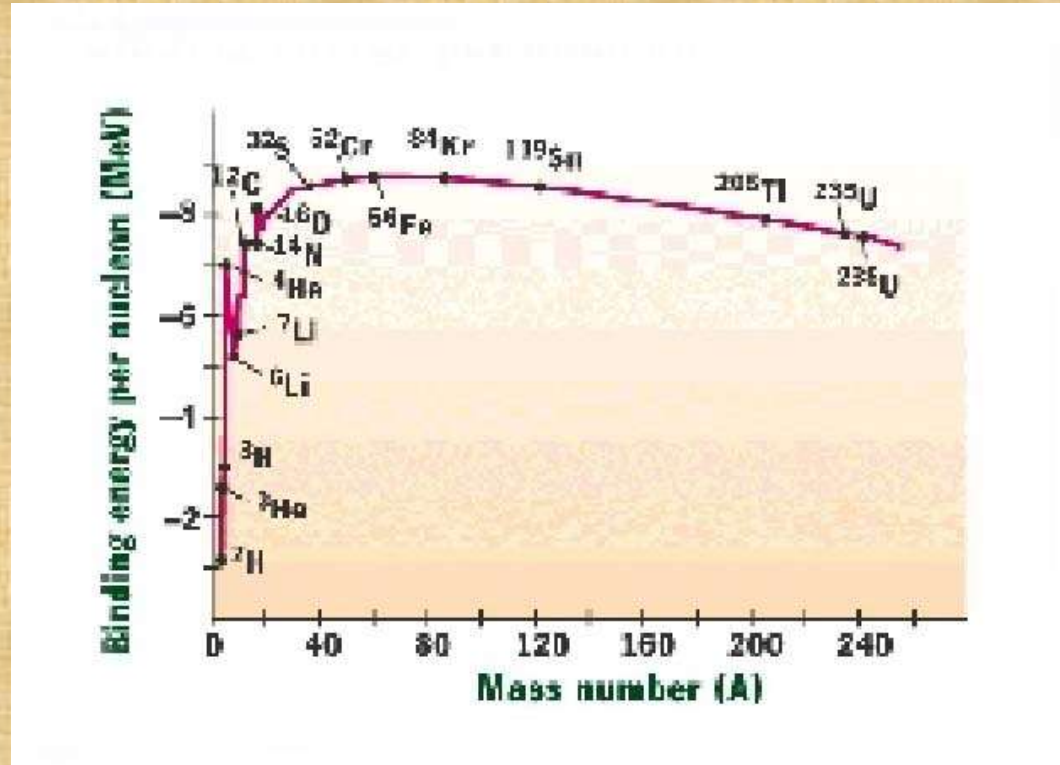
Ans.



$$(b) t_{1/2} = 14.3 \text{ days}$$

Relative Stability of Nuclides

The relative stability of nuclides is determined by the binding energy per nucleon .



Nuclear Binding Energy

Nuclear Binding energies are often expressed in mega electron – volts

$$1 \text{ u} = 931.5 \text{ Mev}$$

From the mass defect of 0.042132 u for ${}^7\text{Li}$, the nuclear binding energy is found

$$0.042132 \text{ u} (931.5 \text{ Mev} / \text{u}) = 39.24 \text{ Mev}$$

Calculating Mass Defect

The mass of a ${}^7\text{Li}$ atom is 7.016003 u . Calculate the mass defect (in u) given the masses of

1H 1.007825 u

${}^1_0\text{n}$ 1.008665 u

Ans.

Mass defect of ${}^7\text{Li}$ = (masses of n + masses of p) – (mass of Li atom)

$$\text{Mass defect} = (3 \times 1.007825\text{u} + 4 \times 1.008665\text{u}) - (7.016003\text{u})$$

$$\text{Mass defect} = (3.023475\text{u} + 4.03466\text{u}) - 7.016003\text{u}$$

$$\text{Mass defect of } {}^7\text{Li} = 0.042132\text{u}$$

Nuclear Binding Energy from Mass Defect

The ${}^7\text{Li}$ nuclide has a mass defect of 0.042132 u .
Calculate the binding energy of this nuclide , in KJ /mol ,
using the equation

$$\Delta E = mc^2$$

Ans.

$$\Delta E = .042132\text{u} \times 1.6605 \times 10^{-27} \text{ Kg/u} \times (3.0 \times 10^8 \text{ m/s})^2$$

$$\Delta E = 6.3 \times 10^{-12} \text{ J}$$

Binding Energy per Nucleon

Binding energy per nucleon is found by dividing the binding energy by the sum of the mass number of the atom .

The mass defect of 0.042132 u for ${}^7\text{Li}$ is used to find .

**Binding energy / nucleon = 0.042132 u / 7 nucleons
(931.5 Mev / u)**

= 5.606 Mev / nucleon

Nuclear Fission

Nuclear fission forms two nuclei of comparable size from a single heavy nucleus .

Fission reactions are very exoergic, and produce several neutrons in addition to two nuclides .

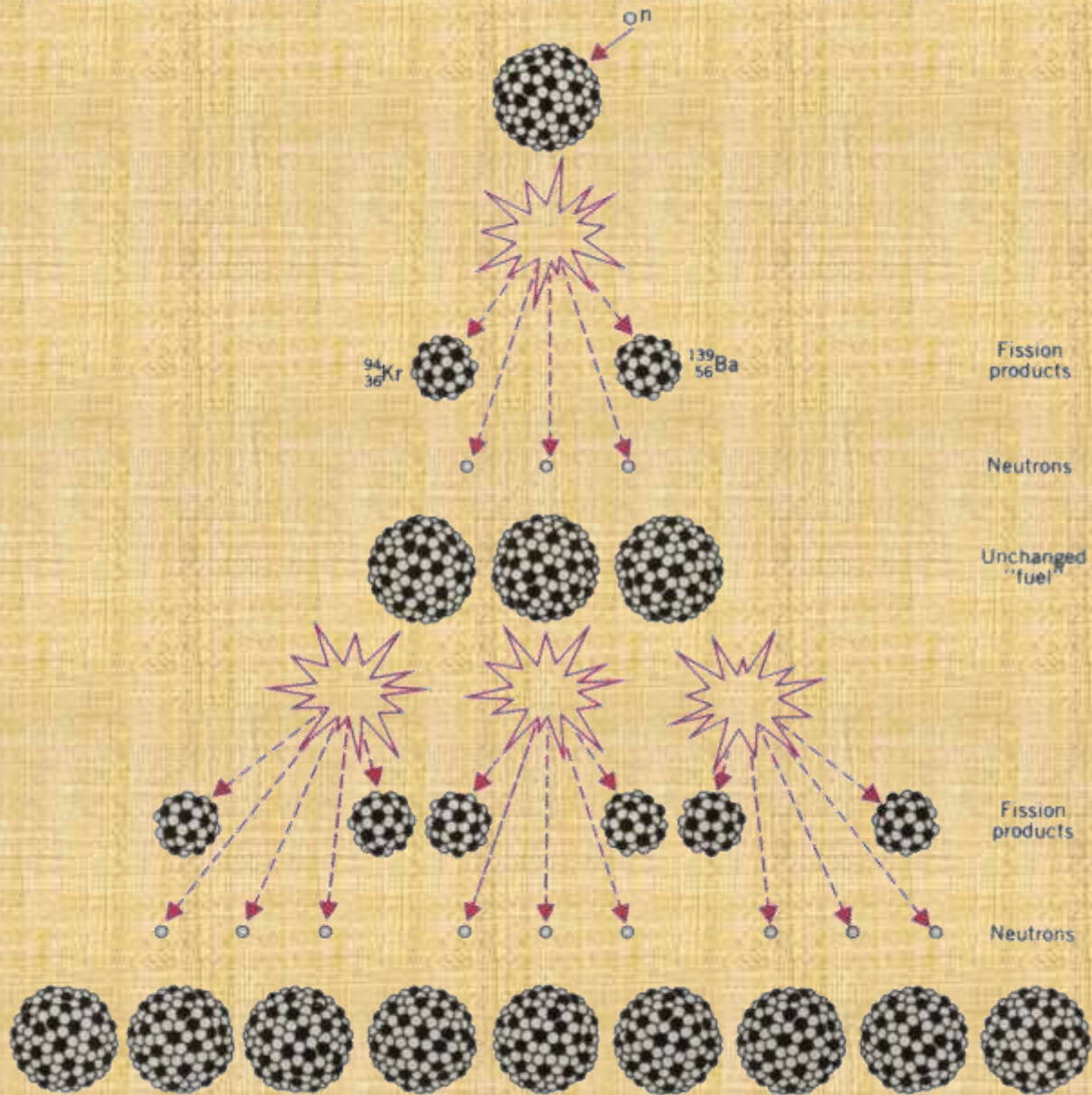


Nuclear fusion

Nuclear fusion is the combination of two light nuclides to form a larger one .

The energy produced by the sun comes from fusion reactions , such as .





Fusion Reactors

❖ The possibility of fusion reaction is at least several decades away from reality

❖ An international consortium of the U.S . , Japan , Russia ,and European community are jointly designing an exponential thermonuclear power reactor .